

New metaheuristic algorithms for the analysis of the user influence in social networks

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Outline

- Social Network Influence
- State of the art
- GRASP for SNIMP
- Results and Conclusions
- Future work



Social Network Influence

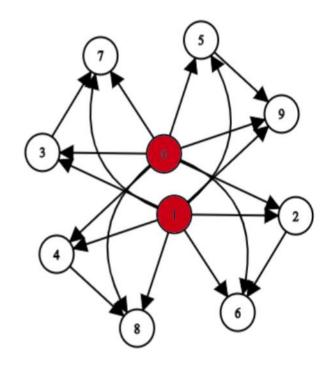
SOCIAL NETWORK INFLUENCE MAXIMIZATION PROBLEM

Finding the K most influential users in the social network with a simulation of an influence diffusion model.

Commonly used for:

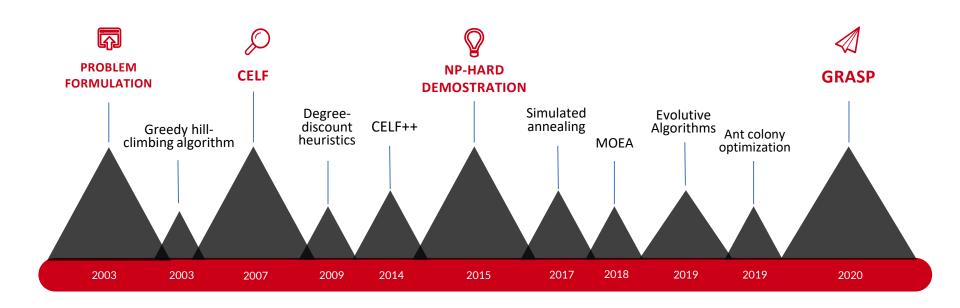
Viral marketing: Maximizing the number of impacts achieved during an advertising campaign.

Disease analysis: Finding the epicenter to eradicate the disease



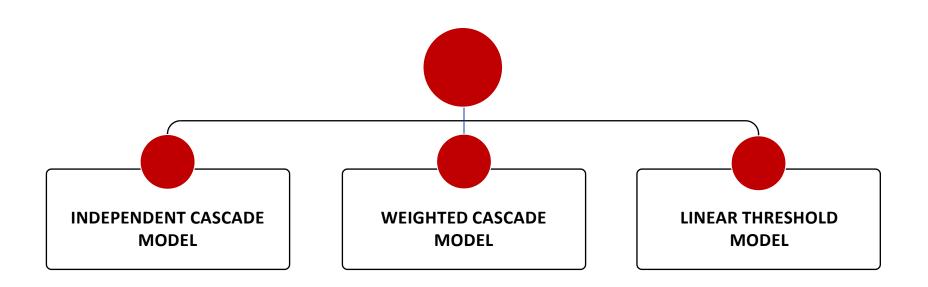


State of the art





Influence Evaluation





Influence Evaluation

MONTE CARLO ALGORITHM

Evaluation function, returns the number of influenced nodes.

Key steps of the algorithm:

Repetitions: The Monte Carlo algorithm is a probabilistic algorithm. N iterations are performed and the average result is kept.

Random values: Random values are generated in step 9 for each influenced element. If value is higher or equal to *p* the element will be influenced.

Algorithm 1 ICM(G = (V, E), S, P, IT)

```
1: spread \leftarrow \emptyset
 2: for i \in 1 \dots IT do
         A^* \leftarrow S
         A \leftarrow S
         while A \neq \emptyset do
              B \leftarrow \emptyset
 6:
              for v \in A do
 7:
                   for (u,v) \in E do
 8:
                        if rnd(0,1) \ge p then
 9:
                             B \leftarrow B \cup u
10:
                        end if
11:
                   end for
12:
              end for
13:
              A^* \leftarrow A^* \cup B
14:
15:
              A \leftarrow B
         end while
16:
          spread \leftarrow spread + |A^{\star}|
18: end for
19: return spread/IT
```



Objectives of the work

STATE OF THE ART PROBLEMS

- Multiple Monte Carlo evaluations.
- Slowness.

KEY POINTS OF THE WORK

- Reduction of Monte Carlo evaluations with greedy algorithms.
- ☐ Surrogate local search limiting searches.
- Comparison with different algorithms of the state of the art.



Greedy Randomize Adaptative Search Procedure



Constructive Phase

CONSTRUCTIVE PHASE

It generates an initial solution and is generally guided by a greedy selected function.

Heuristic functions used:

Closeness coefficient: Measures the average distance to all other nodes.

Clustering coefficient: The measure of the degree to which nodes in a graph tend to cluster.

Greedy heuristic algorithm: Based on the first and second degree of neighbors of a user.

Algorithm 2 GRASP(G = (V, E))

```
1: S \leftarrow \emptyset
 2: CL \leftarrow V
 3: while |S| < K do
           g_{min} \leftarrow min_{u \in CL}g(u)
          g_{max} \leftarrow max_{u \in CL}g(u)
        \mu \leftarrow g_{max} - \alpha \cdot (g_{max} - g_{min})
         RCL \leftarrow v \in CL : g(v) \geq \mu
      u \leftarrow rnd(RCL)
          S \leftarrow S \cup \{u\}
 9:
          CL \leftarrow CL \setminus \{u\}
11: end while
```



Local Search Phase

LOCAL SEARCH PHASE

Improves the solution generated by the construction phase in order to reach a local optima.

Local search used:

Exchanges with N number of neighbors to explore (MNV): Selection of the exact number of neighbors where the exchange is performed.

Exchanges with N percentage of nodes to explore (PCV): Exploration of a given percentage of neighbors.

Algorithm 3 SURROGATE - LS(S, C)

```
1: firstImprovement \leftarrow True
2: bestMark \leftarrow evaluate(S)
3: while firstImprovement do
       firstImprovement \leftarrow False
       for node in S and !firstImprovement do
5:
            for candidate in C and !firstImprovement do
6:
                Saux \leftarrow swap(S, node, candidate)
                if evaluate(Saux) > bestMark then
                   firstImprovement \leftarrow True
9:
                    bestMark \leftarrow evaluate(Saux)
10:
                    S \leftarrow Saux
11:
                end if
12:
            end for
13:
        end for
14:
15: end while
16: return S
```



Results and Conclusions



Instances

	Nodes	Edges	Diameter
p2p-Gnutella31	62586	147892	11
ca-AstroPh	18772	198110	14
ca-CondMat	23133	93497	14
cit-HepPh	34546	421578	12
email-Enron	36692	183831	11
email-EuAll	265214	420045	14

We have used 6 different networks from SNAP https://snap.stanford.edu/data/





Heuristic selection experimentation

	OF	Time(s)	Dev(%)	Best
ALG - HEUR	490,80	14,69	0,00	10/10
ALG - CLUS	356,10	81,14	34,33	0/10
ALG – CLOSS*	459,57	5,68	43,88	0/10

^{*} The algorithm did not finish due to memory limits.

OF: the average objective function value

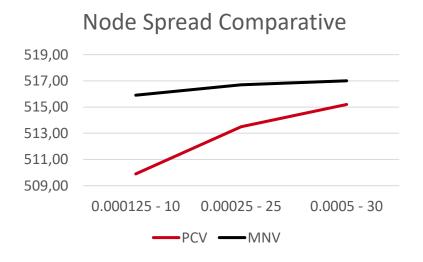
Time (s): the average computing time required by the algorithm in seconds

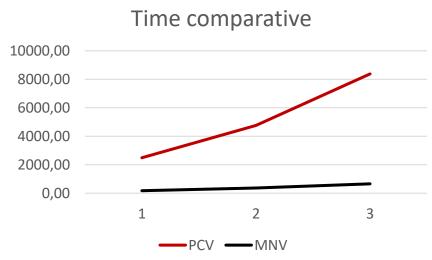
Dev(%): the average deviation with respect to the best value found in the experiment

Best: the number of times that the algorithm matches the best solution



Local search selection experiments

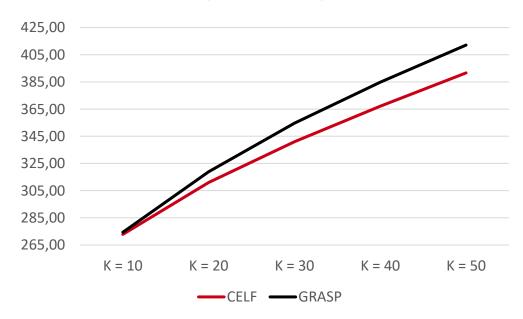






Results

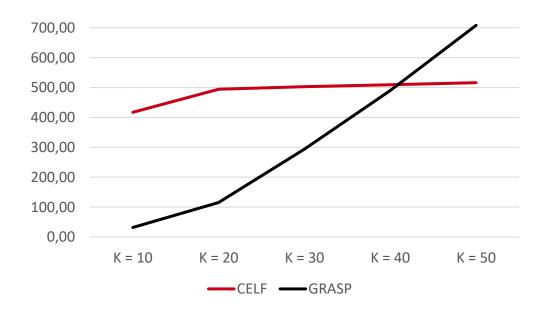
Node Spread Comparative





Results

Time Comparative





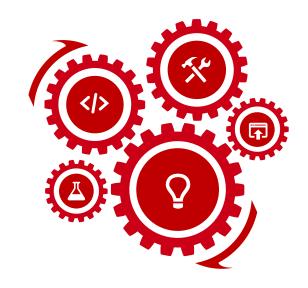
Future Work

NEW ALGORITHMS

Improve performance both in quality and time.

TIME OPTIMIZATION

Depth in algorithm to reduce overall time.



MORE INSTANCES

Use more instances to compare our algorithm with state of the art.

STATE OF THE ART

Compare the performance of the algorithm against more algorithms from SoA.





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